

The OmicsPLS R Package

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Welcome to the vignette of the O2PLS package for analyzing two Omics datasets!

Here you can find examples and explanation of the input options and output objects. As always: help is always found by using the `?` operator. Try to type `?OmicsPLS` for an overview of the package and `?o2m` for description of the main fitting function.

Background

The O2PLS method

The O2PLS method is proposed in (Trygg & Wold, 2003). It decomposes the variation of two datasets in three parts:

- A Joint part for X and Y : TW^\top and UC^\top ,
- A Systematic/Specific/Orthogonal part for X and Y : $T_\perp W_\perp^\top$ and $U_\perp C_\perp^\top$,
- A noise part for X and Y : E and F .

The number of columns in T , U , W and C are denoted by as n and are referred to as the number of joint components. The number of columns in T_\perp and W_\perp are denoted by as n_X and are referred to as the number of X -specific components. Analogous for Y , where we use n_Y to denote the number of Y -specific components. The relation between T and U makes the joint part the joint part: $U = TB + H$ or $U = TB' + H'$. The number of components (n, n_X, n_Y) are chosen beforehand (e.g. with Cross-Validation).

Cross-Validation

In cross-validation (CV) one minimizes a certain measure of error over some parameters that should be determined a priori. In our case we have three parameters: (n, n_X, n_Y) . A popular measure is the prediction error $\|\hat{Y} - Y\|$, where \hat{Y} is a prediction of Y . In our case the O2PLS method is symmetric in X and Y , so we minimize the sum of the prediction errors: $\|\hat{X} - X\| + \|\hat{Y} - Y\|$. The idea is to fit O2PLS to our data X and Y and compute the prediction errors for a grid of values for n , n_X and n_Y . Here n should be a positive integer, and n_X and n_Y should be non-negative. The ‘best’ integers are then the minimizers of the prediction error.

Proposed cross-validation approach

We proposed an alternative way for choosing the number of components (el Bouhaddani, 2016). Here we construct a grid of values for n . For each n we consider then the R^2 between T and U for different n_X and n_Y . If T and U are contaminated with data-specific variation the R^2 will be lower. If too many specific components are removed the R^2 will again be lower. Somewhere in between is the maximum, with its maximizers n_X and n_Y . With these two integers we now compute the prediction error for our n that we have kept fixed. This process we repeat for each n on the one-dimensional grid and get our maximizers. This can provide a (big) speed-up and often yields similar values for (n, n_X, n_Y) .

Installing and loading

The easiest way is to run `devtools::install_github("selbouhaddani/OmicsPLS")`. If this doesn't work, check if there is a package missing. It imports the **ggplot2** and **parallel** package, so these should be installed first. If there still is an error, try to download the .tar or .zip (for Windows) and install offline. These two files can be found also in the *selbouhaddani/ZippedPackage* repository. Also feel free to send an email with the error message you are receiving.

The OmicsPLS package is loaded by running `library(OmicsPLS)`. Maybe you get a message saying that the `loadings` object is masked from `package::stats`. This basically means that whenever you type `loadings` (which is generic), you'll get the `loadings.o2m` variant.

A first test case

First we generate some data

```
set.seed(564785412L)
X = rnorm(100) %*% t(c(rep(1,5), rep(0,45))/sqrt(5)) + # Component 1 = joint
  rnorm(100) %*% t(c(rep(0,45), rep(1,5))/sqrt(5)) # Component 2 = specific
Y = X[,c(6:25, 1:5, 26:45)] # Reorder columns of X and leave out last 5
X = X + matrix(rnorm(100*50), nrow=100) # add noise
Y = Y + matrix(rnorm(100*45), nrow=100) # add noise

X = scale(X, scale=F)
Y = scale(Y, scale=F)
```

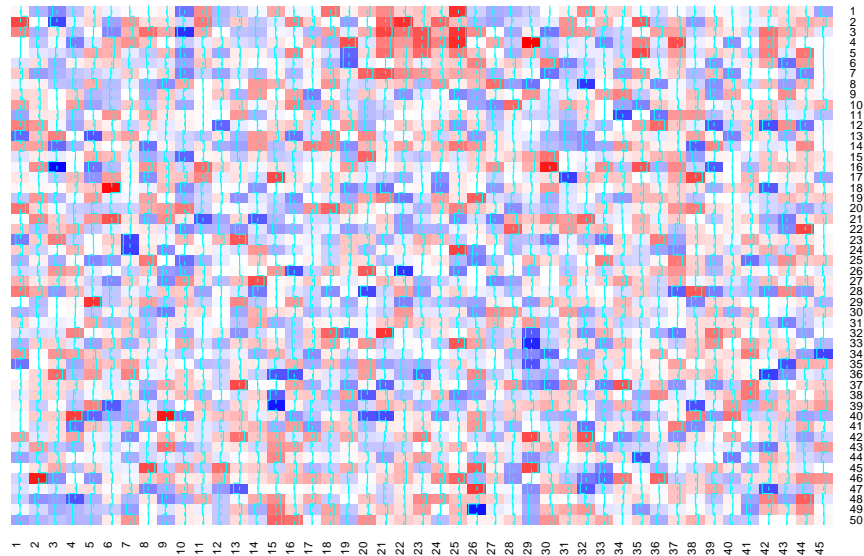
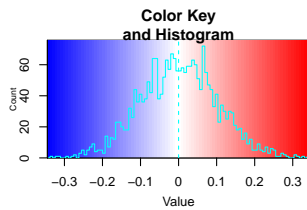
Now `X` has 100 rows and 50 columns while `Y` has 100 rows and 45 columns. We used two latent components in `X`, which are hidden in the first five and last five variables. The first five variables are also present in `Y20` to `Y25`. We add noise so we do not exactly observe the latent structures.

We will use the `gplots` package to create heatmaps of correlations.

```
try(
  gplots::heatmap.2(cor(X,Y), Rowv=F,Colv=F, col=gplots::bluered(100)),
  silent = TRUE)

## Warning in gplots::heatmap.2(cor(X, Y), Rowv = F, Colv = F, col =
## gplots::bluered(100)): Discrepancy: Rowv is FALSE, while dendrogram is
## `both'. Omitting row dendrogram.

## Warning in gplots::heatmap.2(cor(X, Y), Rowv = F, Colv = F, col =
## gplots::bluered(100)): Discrepancy: Colv is FALSE, while dendrogram is
## `column'. Omitting column dendrogram.
```



It is difficult to see where the correlated part lies. We will try to find out with O2PLS. First we need to determine the number of components.

```
library(OmicsPLS)

##
## Attaching package: 'OmicsPLS'
## The following object is masked from 'package:stats':
##
##   loadings
set.seed(1221L)
crossval_o2m_adjR2(X, Y, 1:3, 0:3, 0:3, nr_folds = 2)

## minimum is at n = 1
## Elapsed time: 0.56 sec

##      MSE n nx ny
## 1 2.030027 1  1  1
## 2 2.053605 2  3  3
## 3 2.083403 3  3  3

crossval_o2m(X, Y, 1:3, 0:3, 0:3, nr_folds = 10)

## *****
## Elapsed time: 2.22 sec
## *****
## Minimal 10-CV error is at ax=0 ay=1 a=1
## *****
```

```
## Minimum is 2.022266
## *****
```

The alternative cross-validation suggests one component in all parts. The full cross-validation suggests one joint and one X-specific component. Although the full CV got it right, the alternative yielded similar answers in much less CPU time. This is partly because we use more folds, but decreasing the number of folds to two yielded unreliable results for the full CV.

We now fit the O2PLS model.

```
fit0 = o2m(X, Y, 1, 1, 0)
fit0
```

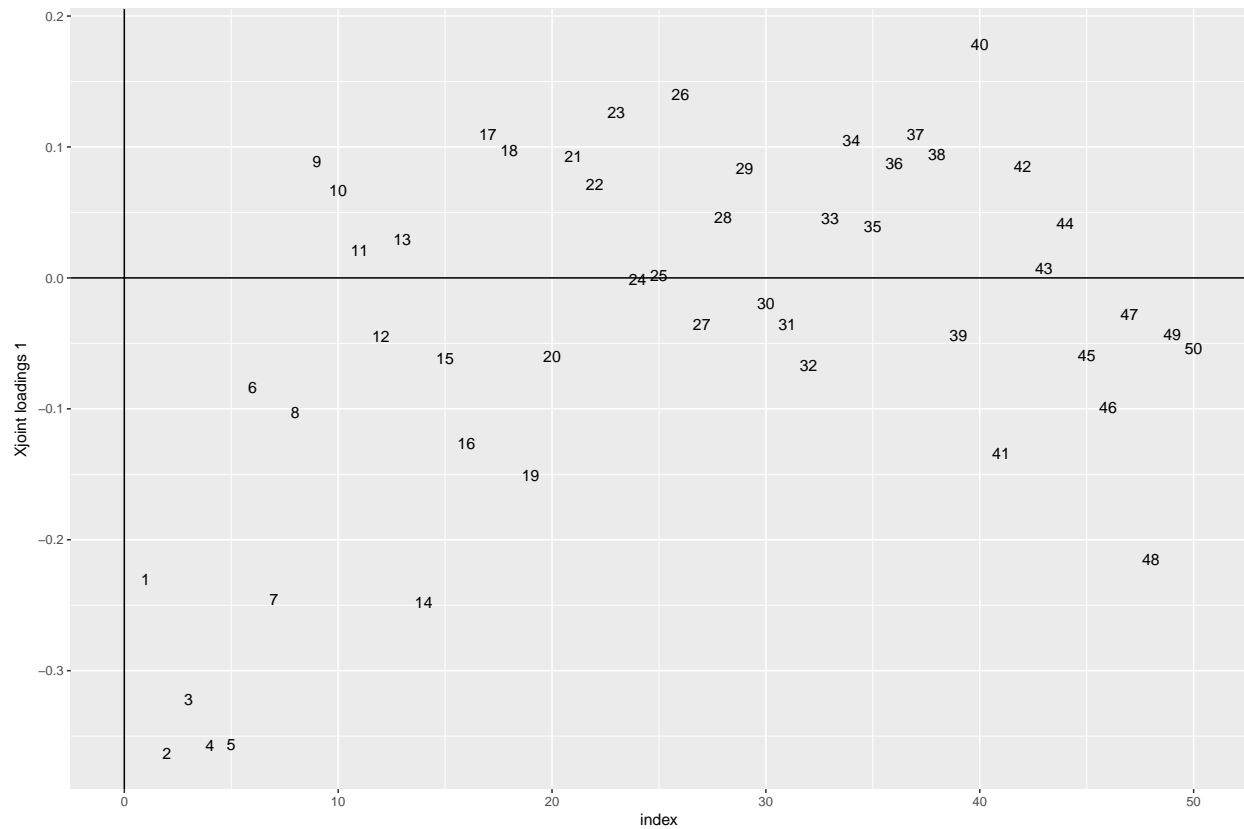
```
## O2PLS fit
## with 1 joint components
## and 1 orthogonal components in X
## and 0 orthogonal components in Y
## Elapsed time: 0.02 sec
```

```
summary(fit0)
```

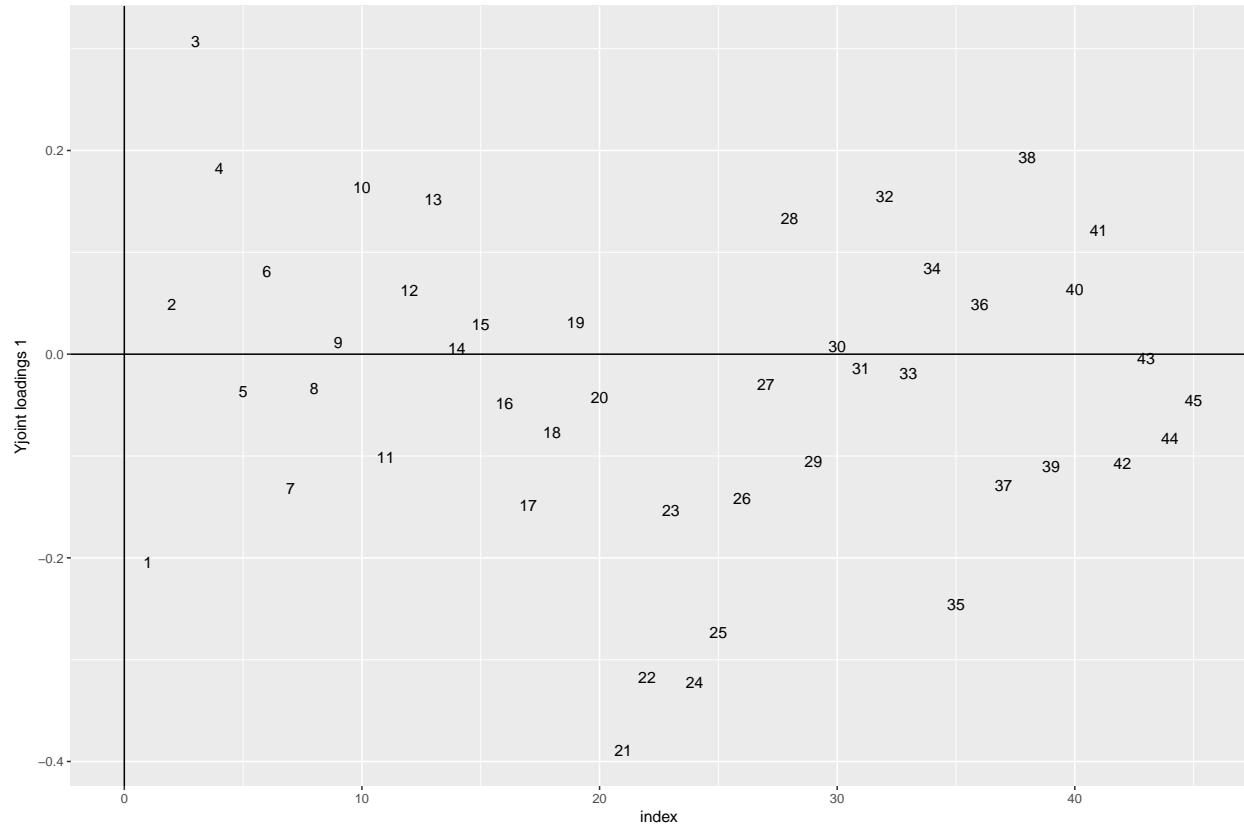
```
##
## *** Summary of the O2PLS fit ***
##
## - Call: o2m(X = X, Y = Y, n = 1, nx = 1, ny = 0)
##
## - Modeled variation
## -- Total variation:
## in X: 5100.552
## in Y: 4576.141
##
## -- Joint, Orthogonal and Noise as proportions:
##
##          data X data Y
## Joint      0.040  0.054
## Orthogonal  0.042  0.000
## Noise      0.918  0.946
##
## -- Predictable variation in Y-joint part by X-joint part:
## Variation in Yhat relative to U: 0.693
## -- Predictable variation in X-joint part by Y-joint part:
## Variation in Xhat relative to T: 0.693
##
## -- Variances per component:
##
##          Comp 1
## X joint 206.273
## Y joint 247.776
##
##          Comp 1
## X Orth 212.371
##
##
## - Coefficient in 'U = T B_T + H_U' model:
## -- Diagonal elements of B_T =
## 0.912
```

We can see that there is a lot of noise (92% and 95%), and only about 5% joint variation. However relative to this variation, 69% is predictable. To see which variables induce the joint variation, we plot the joint loadings of X and Y .

```
plot(fit0)
```



```
plot(fit0, "Yj")
```



We see that more or less the first five X variables and columns 21 to 25 of Y have high absolute loading values.

The X -specific loadings are not recovered unfortunately, probably due to the high noise level.

```
plot(fit0, "Xo")
```

